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Alan J. Auerbach and Maurice Obstfeld

The Case for Open-Market Purchases in a Liquidity Trap

Comments by Lars E.O. Svensson

www.princeton.edu/~svensson

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Main result

• Assumption 1:

$$i_t = 0$$
 $(0 \le t \le T - 1)$
 $i_t > 0$ $(t \ge T)$

• Under flexible prices:

$$m_T \uparrow \Rightarrow p_0 \uparrow$$

• Under sticky prices:

$$m_T \uparrow \Rightarrow p_{1|0} - p_0 \uparrow, \ r_0 = 0 - (p_{1|0} - p_0) \downarrow, \ y_0 \uparrow$$

• Assumption 2:

$$m_T = m_0 + a$$

• Then $m_0 \uparrow$ has the same consequences as $m_T \uparrow$

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The case for expanding the monetary base

- (1) It increases the price level.
- (2) It increases the inflation tax, depreciates the public debt, and allows a reduction of other distortionary taxes.

Comments

- Focus on (1): Not convincing.
 - Empirical test: Japanese monetary base up 40% since Dec 2000.
 - Theory: Future monetary-base expansion not credible.
- Regarding (2): Not controversial, if (1) holds (and suitable initial conditions).

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Theory

 \bullet Fisher equation

$$i_t = r_t + p_{t+1|t} - p_t$$

• Money demand

$$i_t > 0$$
: $m_t = p_t + y_t - \eta i_t$
 $i_t = 0$: $m_t \ge p_t + y_t$

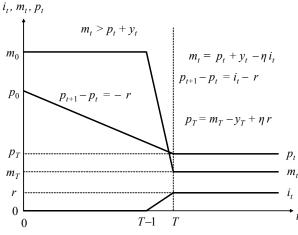
 $(\eta \ge 0; \text{ cash in advance: } \eta = 0)$

- \bullet Simplifying assumptions
 - 1. Flexible prices
 - 2. $m_t = m_T$ $(t \ge T)$
 - $3. \quad r_t = r, \quad y_t = y$

• Fisher equation for p_0

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More theory



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$$\begin{split} p_0 &= p_{1|0} + r_0 - i_0 \\ &= p_{T|0} + \sum_{t=0}^{T-1} (r_{t|0} - i_{t|0}) \\ &= p_{T|0} + (T-1)r \end{split}$$

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 \bullet Fisher equation and money demand equation for p_T

$$\begin{split} p_{T|0} &= p_{T+1|0} + r_{T|0} - i_{T|0} \\ &= p_{T+1|0} + r_{T|0} + \frac{1}{\eta} (m_{T|0} - p_{T|0} - y_{T|0}) \\ &= \frac{\eta}{1+\eta} p_{T+1|0} + \frac{1}{1+\eta} (\eta r_{T|0} + m_{T|0} - y_{T|0}) \\ &= \sum_{\tau=0}^{\infty} \frac{1}{1+\eta} \left(\frac{\eta}{1+\eta} \right)^{\tau} (\eta r_{T+\tau|0} + m_{T+\tau|0} - y_{T+\tau|0}) \\ &= m_{T} + \eta r \end{split}$$

 \bullet Combine

$$p_0 = m_T + \eta r - (T-1)r$$

$$\frac{\partial p_0}{\partial m_T} = 1$$

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Solution

- \bullet Open economy: Depreciate the currency (McCallum, Meltzer, Bernanke, Orphanides-Wieland, Coenen-Wieland, ...)
- The Foolproof Way (Svensson 01, Coenen-Wieland 02)
 - 1. Price level target
 - 2. Currency depreciation and temporary peg
 - Dramatic action, not just talk
 - Creates inflation expectations
 - $-\operatorname{Lowers}$ long real interest rates
 - $-\operatorname{Jump-starts}$ the economy
 - Creates inflation
 - 3. Exit strategy: Abandon peg and introduce inflation targeting when price-level target reached
- \bullet The Foolproof Way is likely to work for the U.S. and the euro area as well as for Japan (Svensson 03)

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Problems

- No direct relation between m_0 and m_T : $m_0 \uparrow \Rightarrow m_T \uparrow$
 - $-m_T \uparrow$ is not credible, expectations may not be affected
 - Krugman 98: "Commitment to future irresponsibility"
 - Commitment to future money supply (nominal government liabilities) would avoid liquidity trap (Woodford 99; Svensson 99; Benhabib, Schmitt-Grohé, Uribe 02)
 - Auerbach-Obstfeld: "[The central bank] need only commit itself not to reverse one-off increases in the money supply's level."
 - * But m_T lower when $i_T > 0$.
 - No commitment in terms of money supply (no monetary targeting);
 instead commitment to price stability, inflation targeting
- High inflation target need not be credible
 - No current action beyond announcement?
 - Future deviation/change in inflation target?

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